

1. We obtain raw observations of horizontal angle, Θ , vertical angle, Φ , and 3D range, r , from a fixed laser scanner. These observations are obtained for 7 points. Solve the LS problem for the XYZ point coordinates, while constraining points to a plane, using added parameters.

condition equations for a point:

$$\Theta = \tan^{-1} y/x$$

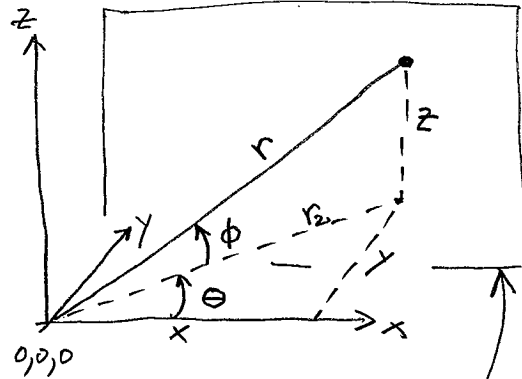
$$\Phi = \tan^{-1} z/r_z$$

$$r = [x^2 + y^2 + z^2]^{1/2}$$

observations:

pt.	Θ°	Φ°	r (m)
1	84.385	5.684	10.224
2	73.625	5.327	10.712
3	89.979	13.812	10.506
4	84.457	16.209	10.761
5	78.986	10.835	10.647
6	79.173	25.019	11.810
7	73.972	20.176	11.596

$\sigma_\Theta = .035^\circ$ $\sigma_\Phi = .035^\circ$ $\sigma_r = .006$ m



plane approximately parallel to XZ plane
 ~ 10m from origin

2. Redo problem #2 from HW1 with the usual inner constraints rather than the fixed coordinate constraints.

Compute $\hat{\Sigma}$, plot the 50% confidence ellipses for the 4 points. Scale "up" the ellipse plots so they can be easily seen and interpreted.