# AutomaDeD: Automata-Based Debugging for Dissimilar Parallel Tasks \*†

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# Abstract

Today's largest systems have over 100,000 cores, with million-core systems expected over the next few years. This growing scale makes debugging the applications that run on them a daunting challenge. Few debugging tools perform well at this scale and most provide an overload of information about the entire job. Developers need tools that quickly direct them to the root cause of the problem. This paper presents AutomaDeD, a tool that identifies which tasks of a large-scale application first manifest a bug at a specific code region and specific program execution point. AutomaDeD statistically models the application's controlflow and timing behavior, grouping tasks and identifying deviations from normal execution, which significantly reduces debugging effort. In addition to a case study in which AutomaDeD locates a bug that occurred during development of MVAPICH, we evaluate AutomaDeD on a range of bugs injected into the NAS parallel benchmarks. Our results demonstrate that AutomaDeD detects the time period when a bug first manifested with 90% accuracy for stalls and hangs and 70% accuracy for interference faults. It identifies the subset of processes first affected by the fault with 80% accuracy and 70% accuracy, respectively and the code region where the fault first manifested with 90% and 50% accuracy, respectively.

## **1** Introduction

The number of cores used in large scale systems will exceed million cores in the near future [6], increasing the challenge of developing correct, high performance applications. When an application fails or returns incorrect results, the developer must identify the offending MPI task and then the portion of the code in that task that caused the error. Most traditional parallel debugging tools [15] scale poorly to large task counts and overwhelm developers with information. We develop a detection tool that identifies the offending task and, to a customizable granularity, the relevant portion of code within the task.

We present AutomaDeD, a tool set that achieves this goal of focusing debugging efforts to improve developer efficiency. It performs runtime monitoring of a parallel application to build a statistical model of the application's typical timing and control flow behavior. The typical use case for AutomaDeD is that a user suspects a run of an application is erroneous and would like to get some guidance to what parts of the application code to focus on for debugging. AutomaDeD achieves this by identifying the period in time, the task(s), and the *error site*, the region of code, where a fault first manifests itself. Thus, AutomaDeD provides the basis for eventual root cause diagnosis including identification of the exact erroneous line of source code.

This paper makes technical contributions in *two broad* areas. First, we describe a model to characterize the behavior of parallel applications. Second, we present methods that compare the behavior of tasks in a parallel application in time and in space to identify the error site. AutomaDeD models the the control flow and timing behavior of application tasks as *Semi-Markov Models (SMMs)* and detects faults that affect these behaviors. SMM states represent regions of application code and edges represent execution progress from one region to another. SMMs capture the probability of transitioning from one region to another and the distribution of times spent in each region. We delimit code regions by MPI calls and use MPI calls (along with call stack information) and the computation interleaved between them as two different kinds of states in SMMs.

Given an erroneous execution of the application, AutomaDeD examines how each task's SMM changes over time and relates to the SMMs of other tasks. First, AutomaDeD detects which time period in the execution of the application is likely erroneous. AutomaDeD then clusters task SMMs of that period and performs *cluster isolation*, which uses a novel similarity measure to identify the task(s) suffering from the fault. Finally, *transition isolation* detects the transitions that were affected by the fault more strongly or earlier than others, thus identifying the code region where the fault is first manifested. AutomaDeD focuses the devel-

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oper on the tasks, time period and code region most likely to have a bug, enabling traditional debuggers such as gdb and TotalView [15] to work at previously infeasible scales.

AutomaDeD helps developers diagnose a key range of faults that affect large-scale MPI applications, including

- Interference from system daemons or mis-scheduled application processes,
- Communication errors that lead to hangs or deadlocks,
- Resource exhaustion in the application or the system,
- Execution of rare, and thus poorly-tested, code paths with unusual time requirements, and
- Unusual code scenarios that alter an algorithm's numerical convergence.

Many of these faults manifest significantly after execution of the faulty code and we need tools like AutomaDeD to focus on the faulty time period, task and code region.

Our evaluation injects synthetic errors into six applications from the NAS Parallel Benchmark (NPB) suite [4] at random times and tasks. The include delays, hangs in application tasks, interference due to execution of an extra CPUor memory-intensive thread on an application compute node and message drops and duplication. AutomaDeD correctly identifies the time period that is likely erroneous in 90% of our trials for delays, hangs and message faults and in 70% of our trials for interference faults. Given the correct time period, AutomaDeD's cluster isolation achieves over 80% accuracy for delays and hangs, 40% for message faults and 70% for interference faults. Given the correct cluster, it isolates the injected transition with 90% accuracy for delays and hangs and 50% accuracy for interference faults.

The rest of the paper is organized as follows. Section 2 presents our overall approach, while Section 3 looks at the details of our application behavior modeling methodology. We describe the analysis performed by AutomaDeD in Section 4 and present our experimental evaluation in Section 5.

## 2 Approach



Figure 1. Design of AutomaDeD

As Figure 1 shows, AutomaDeD consists of both online and off-line mechanisms. An on-line mechanism gathers data about executions into an SMM database. AutomaDeD's off-line mechanisms then use this data to derive a deeper understanding of the application behavior, particularly when bugs are manifested.

# 2.1 Semi-Markov Models

We model the control flow and timing properties of application tasks to debug common anomalies. We track control flow as a sequence of application states, defined as MPI calls (including their arguments and call stack) or the computation interleaved between them, and maintain the time spent in each state. Given the expense of maintaining full traces, we model task behavior as a *Semi-Markov Model* (SMM), a finite automaton of task states and transitions where the task spends a random amount of time in each state and randomly selects its next transition with no dependence on its history.

$$(5) \xrightarrow{1.0, F_{1,2}} (5) \xrightarrow{1.0, F_{2,3}} (5) \xrightarrow{0.6, F_{3,2}} (5)$$



Figure 2 shows a sample SMM with edges labeled by the probability of transitioning from one state to another and the probability distribution of the time spent in the source state before the transition is taken. In the above SMM, tasks in state  $S_3$  transition to state  $S_1$  40% of the time and to  $S_2$  the other 60%, with the times that precede the transitions sampled from distributions  $F_{3,1}$  and  $F_{3,2}$ , respectively. We compute the SMM states, transitions and probability distributions from program traces captured on-line by a P<sup>n</sup>MPI-based wrapper library [13] that intercepts all calls to MPI functions. We use the observed normalized frequency of each transition as its transition probability. Section 3.1 explains how we derive time distributions.

### 2.2 Overview of Analysis

The SMM abstraction couples the dynamic execution of an application with distinct code regions. Thus, given an execution identified by the developer as erroneous, we focus the developer's attention on the tasks and regions of code that are behaving abnormally. Figure 3 shows the stages of this process. First, we divide the application's execution into a series of time periods called *phases*. Applications typically behave according to a repetitive pattern for periods of time and then their behavior changes, to a different repetitive pattern or some random pattern. We call each cycle of a repetitive pattern a "phase". Thus, across the phases within each repetitive pattern, we expect the application behavior to be statistically identical. AutomaDeD then computes an SMM for each task within each phase and then clusters the SMMs for each phase. This clustering partitions tasks based on natural differences between them (e.g. master-worker applications have two natural partitions) or it may identify behavioral differences due to a bug. AutomaDeD compares task SMMs or task clusterings from different phases to determine the phase during which a bug is first manifested. It can also compare SMMs or their clusterings to those from prior executions. Since AutomaDeD is focused on complex, intermittent bugs, most prior executions will be correct and our experiments (Section 5) shows that AutomaDeD's accuracy shows little degradation if a bug manifests itself in 10% of executions. If no sample runs are available, AutomaDeD calibrates its detection algorithms based on the first phase, which works well for our target bugs, which are rare and manifest themselves after a few iterations of the main processing loop.



Figure 3. Problem-size reduction with AutomaDeD

Once AutomaDeD identifies a faulty phase, it proceeds to identify the task cluster or individual task where the bug is first manifested. AutomaDeD compares SMMs or clusters across phases to identify the SMM or cluster that has changed the most from the normal behavior. AutomaDeD again uses SMMs or clusters from prior, mostly correct executions or earlier phases of the same execution. AutomaDeD also compares the individual state transitions in the faulty phase to find the first unusual transition or the most unusual transition, which may identify the error manifestation site.

Thus, AutomaDeD iteratively focuses the developer's debugging efforts. It first identifies the faulty execution phase, then the faulty task or group of tasks and finally it locates the error site. The granularity of this identification is a state in the SMM. Thus, AutomaDeD *does not* identify the root cause of the error and cannot identify the manifestation to a very fine granularity, such as line of code. However, it *does* significantly reduce the amount of information that must be considered when performing a root cause analysis.





### **3** SMM Mechanisms

### 3.1 Creating Time Distributions

We consider two methods for deriving the time probability distributions that explain the time spent by a task in the SMM states. In one, we assume that the time values follow a Gaussian distribution. In the other, we compute a histogram of ranges of the observed time values, instead of assuming a particular distribution.

Assuming Gaussian distribution has several advantages. First, we can easily calculate the two parameters of a Gaussian distribution, mean and standard deviation, given enough sample points. Second, it is a well-known distribution with a rich theory. However, this distribution is not appropriate for state transitions that have multi-modal or asymmetric behavior. The former can occur when different code within a compute region is executed at different times and the latter occurs when a state's time is consistent except for spikes due to system or network interference.

Histograms fit the observed data more closely. The basic approach divides the observed data points into a number of equal-sized buckets. Each bucket's probability is the fraction of data points within it. Since timing data may have outliers orders of magnitude above the median, equal-sized buckets can aggregate most data points into a single bucket, providing poor resolution. We therefore used variable-sized buckets via an online clustering algorithm, which Figure 4 shows. We assign each new data point to its own bucket. If the resulting number of buckets rises above a threshold, we merge the two buckets with the closest means. We convert this hisogram into a continuous probability by linearly connecting adjoining bucket counts and modeling the regions beyond the smallest and largest buckets using the lower and upper halves of Gaussian distributions, which represent the probability of observing new extreme values.

The basic tradeoff between these distributions is that Gaussians are computationally cheaper and more constrained while histograms are more expensive but very flexible. Evaluating both options measures the tradeoffs of this design parameter and illuminates the potential of other statistical models such as mixed-Gaussian distributions and Kernel Density Methods [14].

### 3.2 Comparing Task SMMs

AutomaDeD detects faulty phases and tasks and clusters tasks by comparing SMMs to each other. We define an SMM distance metric that is the sum of the differences in control flow (transition probabilities) and timing behavior (transition time distributions) of two SMMs.

Given SMMs A and B, let  $S_A$  and  $S_B$  be their sets of states, and  $T_A$  and  $T_B$  be their sets of transitions. Also let  $d_{s,i}$  be the transition probability distribution for state  $s \in S_i$ , and let  $d_{t,i}$  be the time probability distribution for

transition  $t \in T_i$ . The difference between A and B is:

$$Diff(A,B) = \sum_{s \in \mathbf{S}} D(d_{s,A}, d_{s,B}) + \frac{1}{\nu} \sum_{t \in \mathbf{T}} D(d_{t,A}, d_{t,B})$$

where  $\mathbf{S} = S_A \cup S_B$ ,  $\mathbf{T} = T_A \cup T_B$ ,  $D(d_{r,A}, d_{r,B})$  is the difference between a pair of probability distributions  $d_{r,A}$  and  $d_{r,B}$ , where r is a state or transition.  $\nu$  is a function defined in Section 3.3 that weighs differences on transitions with consistent timing behavior above those with poor information content. We define the metric  $D(d_{r,A}, d_{r,B})$  as:

$$D(d_{r,A}, d_{r,B}) = \begin{cases} L_2(d_{r,A}, d_{r,B}) * & \text{if } r \in A \text{ and } r \in B \\ \alpha(d_{r,A}, d_{r,B}) & \\ 10 & \text{otherwise} \end{cases}$$

 $L_2(d_{r,A}, d_{r,B})$  is the  $L_2$  norm between the probability distributions, defined as  $\sqrt{\int_{-\infty}^{\infty} |d_{r,A}(j) - d_{r,B}(j)|^2 dj}$ . The integral is over the space of possible events (state transitions or transition times). The parameter  $\alpha$  gives greater weight to differences in time distribution with distant means,  $\mu_d$  and  $\mu_{d'}$ . For time distributions it is equal to

$$\alpha(d_{r,A}, d_{r,B}) = 1 + \frac{|\mu_{d_{r,A}} - \mu_{d_{r,B}}|^2}{(\mu_{d_{r,A}} + \mu_{d_{r,B}})/2}$$

and  $\alpha = 1$  for state transition distributions.

In most cases  $D(d_{r,A}, d_{r,B})$  is below 10 for transitions and states r that appear in both A and B. As such, if r appears in one but not the other,  $D(d_{r,A}, d_{r,B})$  was set to 10 to highlight these differences in application control flow.

### 3.3 Normalized SMM Comparison

Different SMM transitions have very different timing properties, with a variety of means, standard deviations and distribution shapes. Differences between SMMs on a transition that has consistent timing and a tightly focused distribution can be very informative. In contrast, if the transition is noisy, the differences are most likely due to system interference. AutomaDeD focuses on the critical differences between two SMMs by looking at the "normal" difference between the SSMs of a sample set and weighting  $D(d_{t,A}, d_{t,B})$  accordingly. Thus, given a transition t and a set M of sample SMMs, we define the weighting factor  $\nu(d_{t,A}, d_{t,B}, M)$  as the root-mean-square of D on this transition among the members of M:

$$\nu(d_{t,A}, d_{t,B}, M) = \sqrt{\frac{\sum_{A, B \in M, A \neq B} D(d_{t,A}, d_{t,B})^2}{|pairs(t, M)|}}$$

where |pairs(t, M)| is the number of SMM pairs in M that both have transition t. In the absence of sample runs,  $\nu$  for a given transition in a given phase of the faulty run is computed by summing over SMMs in the run's other phases. This weighting scheme overcomes a commonly observed effect where certain transitions have multi-modal timing characteristics—very consistent timing behavior within each mode and sudden shifts to a different mode either within a given run or across multiple runs. This may be caused, for example, by a given set of instructions taking very different times depending on the state of the cache. For such behavior, the value of  $\nu$  will be high, weighing down the difference metric D.

### 3.4 Clustering Tasks' Models

AutomaDeD detects behavioral clusters by using Hierarchical Agglomerative Clustering (HAC) [9] on the SMMs of all application tasks. HAC initially sets each task to be in its own cluster. During each iteration, HAC merges the two most similar clusters into a single cluster, so that it has one fewer clusters after that iteration. Cluster difference is defined as the smallest difference between any member of one cluster to any member of the other cluster. These steps are repeated until the minimum difference between any pair of clusters is above a given threshold (i.e., no two clusters are similar enough to merge).

HAC requires a threshold that defines the normal difference of similar tasks. AutomaDeD chooses this threshold by having the developer provide the number of clusters that accurately describe the application's expected behavior. For example, a relaxation algorithm with non-periodic boundaries operating on an 2-dimensional grid is best described by a 9 clusters (one for the interior, and one for each side and each corner region). However, it should have a single cluster if the boundaries are periodic. AutomaDeD applies HAC on SMMs of a set of training phases (assumed to have few bugs), identifying the average threshold that produces the desired number of clusters. We use this threshold for subsequent clustering. If sample runs of the application are provided, AutomaDeD trains on phases in these runs. Otherwise, it trains on the given run's first phase, which we assumed is fault-free. The resulting clustering organizes tasks into behavioral groups that reflect the effect of the bug on the application's behavior.

## **4** Error Detection Procedure

We describe the procedure that a user employs to isolate a bug using AutomaDeD. Figure 1 shows the complete sequence of steps. *On-line* steps occur when the program executes, while *off-line* steps occur after execution. The next sections describe each step.

#### 4.1 Phases and Epochs

AutomaDeD models the behavior of discrete regions of application execution that the developer identifies via source code markers. The term *phase* denotes a region of execution, such as a time step, that repeats multiple times. Phases are grouped into sets, where all phases in a set are assumed to behave similarly to each other. For example, adaptive mesh refinement applications periodically repartition their work and meshes. Thus, individual iterations may be identified as phases while iterations between adjacent re-partitionings may be grouped into a set. Developers annotate phases and sets in their code by adding calls to MPI\_Pcontrol, a special function call that is intercepted by our wrapper library.

#### 4.2 Faulty Phase Detection

AutomaDeD detects the phase during which a fault was first manifested using one of two algorithms, depending on how it affects application behavior. The choice of which technique to use is left to the user.

If the effects are temporary (e.g., temporary delay due to unusual erroneous control flow), AutomaDeD searches for the phase that differs from all other phases. If AutomaDeD has a set of sample runs, it compares each phase to its counterparts in those runs. It can either compare each task's SMM directly to its sample counterpart or it may compare each phase's clustering to the clustering of its counterpart phase. For the former, the difference between two phases is defined as the squared sum of the differences between their respective task SMMs. For the latter, we use the Mirkin difference metric [11], which is the fraction of task pairs that are grouped differently in the two clusterings, (i.e., tasks  $T_1$  and  $T_2$  are in the same cluster in one clustering and not in the same cluster in the second, or vice-versa). Then for each phase we compute a "deviation score", which is the sum of the squared distances from this phase in the faulty run to the same phase in each sample run. We identify the phase with the highest deviation score as faulty. If no sample runs are provided, AutomaDeD compares each phase to all others within the faulty run using either of the above metrics to compute each phase's deviation score. We identify the phase that differs most from the others as faulty. When sample runs are provided,  $\nu$  weighting terms are computed from the SMMs of these runs. When they are not provided, the  $\nu$  used for each phase's comparisons is computed from the other phases in the faulty run.

If the effects are permanent (e.g., a runaway thread that interferes with the application), AutomaDeD identifies the phase when application behavior shifted. If AutomaDeD has sample runs, it computes deviation scores as above but then uses k-Means Clustering [9] to divide the phases into two clusters: those that are similar to the sample runs (low deviation) and those that are different (high deviation). We identify the earliest phase in the high deviation cluster as faulty. Without sample runs, AutomaDeD identifies the pair of adjacent phases that are most different according to the SMM or clustering difference metrics. The later phase in this pair is judged to be faulty.

### 4.3 Pinpointing Faulty Task(s) and Error Sites Using SMM Analysis

AutomaDeD provides two complementary mechanisms to identify the faulty task(s) and the error site. We describe the first mechanism, which compares SMMs and clusterings, here. We discuss the second, which is based on individual transitions, in Section 4.4. Successful identification of the faulty cluster greatly simplifies determining the root cause. Cluster isolation is particularly helpful when the manifestation of a bug results in a cluster with a single task.

AutomaDeD clusters the tasks of the phase identified as faulty and then computes the most unusual cluster by looking at its deviation from the other clusters. The algorithm is a direct extension of the deviation score algorithm used for phase detection but focusing on individual clusters as opposed to sets of clusters.

We detect the code region in which the fault was first manifested by identifying the transition that most distinguishes the faulty cluster from the other clusters. Since bugs can cause these behavioral differences, these characteristic transitions (CTs) direct developers to the root cause. For SMMs A and B,  $CT(A, B) = (t, \chi)$  where t is transition that most contributes to the dissimilarity metric Diff(A, B) and  $\chi$  is the magnitude of this contribution. Given a cluster  $c = \{M_1, M_2, ..., M_n\}$ , we compute the cluster's CT by evaluating  $CT(M_i, M'_i)$  for each pair  $(M_i \in c, M'_i \notin c)$ . The CT of c is then the transition that is the CT of the most SMM pairs. If this selects more than one transition, the CT is the transition with the largest average  $\chi$ . Since this method does not always produce the correct faulty transition as the top CT, AutomaDeD can also present the top several choices to the developer for closer examination.

### 4.4 Detection Using Transition Analysis

Our SMM-based cluster and transition isolation methods are too coarse if the effects of the bug propagate to the entire application and will fail to identify the first task(s) and transitions that the bug impacted. We can overcome this difficulty by observing individual state transitions, looking for the first that takes an unusual amount of time compared to the transition behavior seen in sample runs or earlier phases.

If the faulty effects are temporary, AutomaDeD computes the typical behavior of each SMM transition as a probability distribution (Gaussian or Histogram) of its observed times in the sample runs or first phase, after discarding the top and bottom 1% of the times. AutomaDeD uses these distributions to compute the probability of observing the time preceding each transition of the faulty phase. We then use k-Means clustering to separate low probability transitions from normal transitions, using the log of the probabil-



**Figure 5.** Output format of AutomaDeD after the debugging process is completed.

ity to improve sensitivity to low values. We select the earliest low probability transition as the CT, which also identifies the faulty task. AutomaDeD can also present later low probability transitions on other tasks in case the initial choice is incorrect (typically, AutomaDeD mis-identifies the task because a transition that starts earlier is not necessarily affected by the fault earlier).

If the faulty effects are permanent, AutomaDeD looks for a sudden change from one type of application behavior to another. Specifically, it scans each transition t in each task SMM M to locate the largest increase in  $\theta = stdDev(t) * \overline{\nu}$ , where stdDev(t) is the standard deviation in the observed times preceding t. When sample runs are provided,  $\overline{\nu} = \frac{1}{\nu}$ , where  $\nu$  is the noise weighting factor discussed in Section 3.3. Otherwise,  $\overline{\nu} = stdDev(t)$ , which is another way to reduce the algorithm's sensitivity to outliers.

 $\theta$  measures the variation of the transition, which increases significantly when its behavior changes, as its prior behavior does not predict its new behavior well. AutomaDeD selects the transition that provides the best balance between occurring before other transitions and having a high  $\theta$ . This is done by comparing transitions t and t' using to the following relation:

$$(t_{ts}, \theta) \succ (t'_{ts}, \theta) \equiv \begin{cases} \theta * (1 + t'_{ts} - t_{ts}) > \theta' & \text{if } t_{ts} < t'_{ts} \\ \theta' * (1 + t_{ts} - t'_{ts}) > \theta & \text{if } t'_{ts} < t_{ts} \end{cases}$$

where  $t_{ts}$  and  $t'_{ts}$  are the timestamps of t and t'. Thus, we consider t a better choice (ordered larger) than t' if either it has an earlier timestamp and  $\theta$  is larger than  $\theta'$  after being adjusted by a factor that proportionally compensates for the difference in their timestamps or it has a later timestamp and  $\theta$  is larger despite  $\theta'$  being inflated by the same factor.

#### 4.5 Visualization of Results

AutomaDeD presents the cluster and transition isolation results through the clustered SMMs of the faulty phase, focusing on the faulty cluster and the CT. Figure 5 shows an example of the output for a 9 task NAS benchmark BT when a 10 second delay was injected into task 6 before execution of the selected MPI\_Isend (we show only a portion of the SMM). Bold edges indicate the CTs; the clusters appear as their labels. The cluster associated with the edge (Computation, Isend-DOUBLE) corresponds to the faulty cluster.

### **5** Experimental Evaluation

#### 5.1 Fault Injection Types

We empirically evaluate the effectiveness of AutomaDeD by injecting synthetic faults into six applications in the NAS Parallel Benchmark suite: BT, CG, FT, MG, LU and SP [4]. We omitted EP because it performs almost no MPI communication and IS because it uses MPI in only a few locations in the code, making MPI-based state demarcation inappropriate. Our fault injector, built on top of  $P^N$ MPI, dynamically injects a wide array of software faults at random MPI calls during MPI application runs. It supports three main classes of faults:

- Local livelock/deadlock or transient stall; emulated via a finite loop of 1, 5 or 10 seconds (FIN\_LOOP) or an infinite loop (INF\_LOOP)
- MPI message loss and duplication; emulated by dropping (DROP\_MESG) or repeating (REP\_MESG) a single MPI message,
- Extra CPU- or Memory-intensive thread; emulated by starting up a thread with a perpetual-increment loop (CPU\_THR) or a loop that randomly reads from/writes to a 1GB region of memory (MEM\_THR), that interfere with the remainder of the application's execution.

Our experiments ran each benchmark with input size A and 16 tasks on four-socket, quad-core nodes (the Hera cluster at LLNL), with 2.3Ghz Opteron processors and 32GB RAM per node. We injected each fault type into a random task and MPI operation type (e.g., blocking and nonblocking sends and receives, all-to-alls). In each run we injected a single fault into a random instance of the target operation type on a random task, ensuring that over the entire experiment, there were at least 10 injection runs for each each task, MPI operation type and fault type combination, for a total of approximately 2,000 injection experiments per application. The execution of each application was partitioned into approximately 5 phases; the exact number depended on the application's original iteration count.

### 5.2 Results of Debugging Faults

We evaluate the accuracy of AutomaDeD in identifying:

- The phase with the injected fault (faulty phase);
- The cluster that contains the task with the injected fault (cluster isolation);
- The error site of the injected fault (transition isolation).

We evaluate AutomaDeD with and without sample runs. Using sample runs corresponds to when the developer can execute an application multiple times to establish its normal behavior before analyzing a given faulty run. We evaluate two types of sample runs. For each application A the NoFault(A) set consists of 20 runs with no injected faults, which is the ideal set. The Fault10(A, F) set includes NoFault(A) as well as 2 additional runs of A in which fault F was injected, modeling the more common case where application runs are affected by an infrequent non-deterministic bug that affects a certain fraction of runs (in this case  $\sim 10\%$ ). Our experiments without sample runs, denoted NoSample, omit any runs in which faults were injected during the first phase to ensure a more informative evaluation. We also omit such runs when analyzing CPU\_THR and MEM\_THR faults, regardless of whether or not sample runs are provided, since they provide no information about the application's behavior before the fault.

### 5.2.1 Detection of the Faulty Phase

We begin by evaluating AutomaDeD's ability to detect the phase in which the fault was injected. If AutomaDeD does not have sample runs, it identifies the phase that is most different from the others using either the cluster-based metric or the individual task SMM-based metric. If it has sample runs, AutomaDeD use one of these metrics to determine the phase that is most different from its sample run counterparts. Figure 6 shows the average accuracy of faulty phase detection over all applications. In all graphs Y-axis shows the fraction of runs where AutomaDeD identifies the phase, cluster or transition relevant to the injected fault. The data series correspond to using the two metrics with each sample run configuration (NoFault, Fault10 and NoSample) and the different distribution methods used for the transition times (Gaussian and Histogram).

The SMM-based metric detects faulty phases more accurately than the cluster-based one, with detection accuracy over 90% for most fault types. However, the clusterbased metric is better for CPU\_THR and MEM\_THR when sample runs are available. Sample runs significantly improve faulty phase detection accuracy, with NoFault and Fault10 exceeding NoSample by 20%-30% in general and even more for CPU\_THR and MEM\_THR. Further, NoFault and Fault10 sample runs provide similar accuracy, showing that the impact of moderate noise on the SMM representation and AutomaDeD's analyses is small. Finally, Histograms are consistently more accurate (by several percent) than Gaussian probability distributions for all faults except DROP\_MESG the REP\_MESG, due to their lower sensitivity to outliers. The reason for the difference between the fault types is not currently understood.

Figure 7 shows the faulty phase detection accuracy on a per-application basis, focusing on SMMs that use



Figure 6. Average faulty phase detection accuracy

Histogram and the Fault10 training set. The data shows that the difference between the SMM and clustering metrics is in their consistency across applications, with the metric that performs more consistently for a given fault showing better overall performance for that fault. Both metrics have high variation for CPU\_THR and MEM\_THR faults and thus, lower accuracy.



Figure 7. Faulty phase accuracy per application

### 5.2.2 Cluster Isolation

Once AutomaDeD identifies the faulty phase, it can identify the cluster that contains the task in which the bug was injected. AutomaDeD again uses the SMM-based and clusterbased metrics to perform cluster isolation. Alternatively, it can identify the task with the first unusual transition given the probability distribution on the transition. Our evaluation measures the accuracy of AutomaDeD's cluster isolation separately from that of its faulty phase detection by always applying the techniques to the faulty phase, that is we assume the phase detection was accurate.

Figure 8 shows the accuracy of AutomaDeD's cluster isolation on a per-application basis, focusing on SMMs that use Histogram. Cluster isolation using the cluster-based metric has poor accuracy for nearly all applications and fault types. The other options produce significantly better results. The abnormal transition method without sample runs and the SMM-based metric with sample runs provide the best accuracy for CPU\_THR and MEM\_THR, with near perfect results on half the applications. The abnormal transition method achieves high accuracy for the FIN\_LOOP and INF\_LOOP using sample runs.

The accuracy of cluster isolation varies widely across the applications for the same fault type since the faults can propagate themselves quickly from one task to another. Thus, some task(s) other than the faulty task may exhibit behavior the most divergent from its normal activity, which can cause the cluster-based and SMM-based metrics to misidentify them as the source of the fault. While task behavior does not confuse the abnormal transition method, it can perform poorly due to the relatively coarse granularity of SMM transitions. As such, a fault may propagate from the middle of a transition with a later starting timestamp to one that began earlier, causing the wrong transition to be identified as the fault's first manifestation. We could reduce this effect by breaking long states into smaller ones, which will improve their precision.

Figure 9 shows the percentage of runs (using the Fault10 sample run configuration) in which the faulty task cluster consists of only one task. This significantly simplifies debugging since it focuses the developer on a single task's control and data flow. AutomaDeD fully isolates the faulty task in more than 90% of the cases for CPU\_THR, MEM\_THR, DROP\_MESG and REP\_MESG and 70% for FIN\_LOOP and INF\_LOOP. Gaussian distributions perform better than Histograms because they are more sensitive to outliers, suggesting that both probability distributions should be used in practice.

#### 5.2.3 Transition Isolation

AutomaDeD uses two algorithms for transition isolation. First, it compares the SMMs of the faulty cluster to those of other clusters and selects the transitions most responsible for the differences. Alternatively, it selects the earliest abnormal transition within the faulty cluster. Since our goal is to focus debugging efforts, we consider how frequently the faulty transition is the top choice or one of the top five choices of these methods. Figure 10 shows the results, with the clustering-based algorithm on the left and the transitionbased algorithm on the right.

The clustering-based algorithm consistently ( $\geq$  90% of the time) includes the faulty transition in its top five choices



Figure 8. Cluster isolation accuracy per application

for FIN\_LOOP and INF\_LOOP. The transition-based algorithm is less consistent across applications but when it succeeds, it usually does so with its first selection. Both methods exhibit low accuracy for DROP\_MESG and REP\_MESG faults because the effects of these faults manifest long after the fault is injected. They also perform relatively poorly with CPU\_THR and MEM\_THR because these faults cause a larger number of milder behavioral changes, which resemble ordinary outlier transitions.



Figure 9. Isolation of a singleton cluster



Figure 10. Transition isolation accuracy per application

### 5.3 Case Study: MVAPICH Bug

We illustrate the utility of AutomaDeD via a case study of applying it to a real bug in the MVAPICH-0.9.9 MPI implementation [12]. The bug occurs in its MPI task launcher, mpirun, which sometimes fails to clean up after an application, leaving processes to run concurrently with subsequent jobs. We modeled this bug by running a primary application and injecting a run of a secondary application (runaway tasks from prior job) to overlap the beginning of the primary's run. In our evaluation we executed a 16- or 64-task run of the BT benchmark as our primary application while simultaneously executing a 16-task run of either LU, MG or SP on the same set of nodes to model the runaway tasks. These model the cases where runaway tasks interfere with all or a subset of the primary application's tasks.

We provided AutomaDeD with a set of five sample runs of BT with no interference. Figure 11 presents the SMMbased deviation score for each phase of the three runs where BT ran concurrently with either LU, MG and SP (one set for 16-task and another for 64-task BT runs) as well as the average score for the five no-interference runs. The sets of sample runs used to compute each no-interference run's deviation scores excluded the run itself. The deviation scores of all no-interference phases were consistently low. In contrast, the scores of the initial phases of the three interference runs show high deviation scores, identifying the exact region of time when the shorter runs of LU, MG and SP overlapped with the execution of BT. Further, AutomaDeD clearly shows that the interference run of MG in one 16-task experiment began after the first phase of BT, since the deviation score starts at the baseline level, rises for three phases and then drops to the baseline.

AutomaDeD significantly aids debugging. First, it clearly identifies the performance anomaly, which might not have been noticed for a long time or blamed on extraneous factors such as the choice of input. Second, AutomaDeD determines when the interference occurs, which facilitates detection of the interference tasks from system logs or other methods. This ability to know when and where to use other tools is a significant strength of AutomaDeD because it allows developers to keep from being overloaded by these tools' data volume. As such, this fault can be easily dif-



Figure 11. Phase deviation scores of MVAPICH bug usecase

ferentiated from other potential problems such as high network load because users can collect the task list and network load logs during just the anomalous time period and pinpoint the source of the anomaly (HPC nodes are typically dedicated to one user at a time). Although AutomaDeD can often identify the tasks most affected by the fault, it did not isolate those tasks in this case since BT is tightly coupled, which leads to the interference impacting all of BT's tasks even with 64-task runs.

# 6 Prior Work

Traditional debugging techniques, including sequential debuggers such as gdb and "printf debugging," require the user to manually trace the origins of their coding errors. Traditional parallel debuggers, such as TotalView [15] and DDT [2] are similar but allow the users concurrent access to multiple processes. They provide convenient interfaces to the state of these processes but the process of identifying errors remains manual. Overall, traditional debugging techniques require a significant amount of user experience, intuition and time, and thus are not practical for large, complex parallel applications.

Differential debugging provides a semi-automated ap-

proach to the analysis and understanding of programming errors by comparing executions dynamically [1, 16]. Recent research has focused on developing statistical techniques to pinpoint the root cause of correctness problems automatically [3, 5, 7, 8]. While both approaches hold significant promise, they require extensive runtime execution data often from multiple runs or extensions that guide the analyses to the significant differences between the processes in a single run. As a result, most techniques have not yet been applied to large scale runs of parallel applications. AutomaDeD complements these techniques by providing mechanisms that relate the state across the individual processes and group ones with similar behavior into task equivalence classes.

We share similar goals to those of the work by Mirgorodskiy *et al.* [10], namely, locating the causes of anomalies in parallel programs. Their model looks at the traces of function calls and exits and uses a distance metric to identify the trace that is most different from other traces. Subsequently, they identify the function that most contributes to the suspect score for the outlier trace in order to pinpoint the likely source of the problem. Despite these similarities, their work addresses a subset of the anomalies that we do in AutomaDeD since they assume all processes have identical behavior and they do not consider timing anomalies.

## 7 Conclusion

Large-scale application debugging is very challenging because of the vast amount of information developers must consider to identify a bug's root cause. AutomaDeD focuses debugging efforts on the time period, tasks and code region where the bug is first manifested. Thus, it significantly improves developer debugging productivity by reducing the amount of information that must be considered even as the application is scaled to large task counts. This paper describes the fundamental approach and design of AutomaDeD and establishes it as a valuable addition to the developer's toolkit. Our results demonstrate that AutomaDeD is very accurate for key debugging tasks. In particular, it correctly identifies the faulty phase in 90% of our trials for delays, hangs and message faults and in 70% of our trials for interference faults. Given the faulty phase, AutomaDeD's accurately identifies a small task set (often a single task) in which the bug occurred for over 80% of delays and hangs, over 40% for message faults and over 70% for interference faults. Given the faulty cluster, AutomaDeD identifies the error site with 90% accuracy for delays and hangs and 50% accuracy for interference faults. While the product of all these detection rates can be low, in reality developers are likely to have one or more pieces of information about the fault's origin from external tools, allowing AutomaDeD to provide more accuracy when given more information.

While this paper demonstrates the utility of our approach, a key component of our ongoing work is to make these ideas work at large scale. This includes developing more efficient algorithms for our basic mechanisms such as histograms and SMM comparisons, as well as scalable methods to cluster SMMs on-line across millions of tasks. While this work will leverage the algorithms presented here. it will involve the development on novel statistical modeling techniques that can scale to millions of tasks. Another important area will be extending AutomaDeD to model a richer space of behaviors, including analyzing behavioral metrics other than control flow and time as well as modeling more complex applications. This work will enable AutomaDeD to become a valuable debugging tool for developers of large scale applications that will make them significantly more productive even as their applications scale to ever more tasks.

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