

# A Decision Model for Psychophysics

*Reading: Macmillan & Creelman, Chaps. 1 & 2*

## Three Things to Learn

- **Procedure**
  - ◆ What are the stimuli?
  - ◆ How do you present them?
  - ◆ What are the responses?
  - ◆ How do you organize the data?
- **Model**
  - ◆ What are the assumptions?
  - ◆ What is the model based on these assumptions?
- **Data Processing**
  - ◆ How do you process the data?
  - ◆ What are the results (e.g., threshold)?

## Introduction to Signal Detection Theory (SDT)

- Tanner & Swets, 1954
- Key Properties of SDT
  - ◆ Noise in perception
  - ◆ Probabilistic / stochastic approach
  - ◆ Decision process (*a priori* info, bias)
  - ◆ Experimental procedure
  - ◆ Popular in literature

## Why Do We Care About SDT?

- **It provides a means to separate decision processes (e.g., bias) from perception.**
- **We will develop a decision model for psychophysics**

## The Procedure for One-Interval (1-I) Experiments

- **Name:**
  - ◆ One-Interval, Two-Alternatives (1I 2A)
  - ◆ Also known as the “yes-no” experiment (see Macmillan&Creelman’s book)
- There are two stimuli  $S_i$  ( $i=1, 2$ ); e.g.,
  - ◆  $S_1$ =“softer tone”,  $S_2$ =“louder tone”
  - ◆  $S_1$ =“softer spring”,  $S_2$ =“harder spring”
  - ◆  $S_1$ =“new face”,  $S_2$ =“old face” (M&C)
  - ◆  $S_1$ =“noise”,  $S_2$ =“signal embedded in noise”

*(cont.)*

- On each trial,  $S_i$  is presented with an *a priori* probability of  $P(S_i)$ , where  $P(S_1)+P(S_2)=1$
- There are two admissible responses  $R_j$  ( $j=1, 2$ ); e.g.,
  - ◆  $R_1$ =“softer tone”,  $R_2$ =“louder tone”
  - ◆  $R_1$ =“1”,  $R_2$ =“2”
  - ◆  $R_1$ =“no”,  $R_2$ =“yes” (hence “yes-no” exp.)
- For simplicity, we assume that  $R_1$  is the correct response to  $S_1$ , and  $R_2$  is the correct response to  $S_2$
- Trial-by-trial correct-answer feedback is optional

## Data from a 1-I Experiment

	R <sub>1</sub>	R <sub>2</sub>
S <sub>1</sub>	$n_{11}$ <i>Correct Rejections</i>	$n_{12}$ <i>False alarms</i>
S <sub>2</sub>	$n_{21}$ <i>Misses</i>	$n_{22}$ <i>Hits</i>

- $f(R_1|S_1)=n_{11}/(n_{11}+n_{12})$ : frequency of responding R<sub>1</sub> given S<sub>1</sub>. We use frequency to estimate probability.
- $P(R_1|S_1)$ : probability of responding R<sub>1</sub> given S<sub>1</sub>
- $p(R_1|S_1)$ : probability density function
- There are only two *independent* measures: *F* and *H*.

## Three Examples

	(1)		(2)		(3)	
	R <sub>1</sub>	R <sub>2</sub>	R <sub>1</sub>	R <sub>2</sub>	R <sub>1</sub>	R <sub>2</sub>
S <sub>1</sub>	48	2	5	45	2	48
S <sub>2</sub>	1	49	1	49	49	1

## In-Class Lab: 1-I Experiment

- Go to “Online Experiments”
- Go down to “Part II. Decision Model for Psychophysics”
- Go to “One-interval Experiment”
- Select “1. Curvature detection”

## Discussion of In-Class Demo

- Summarize the procedure
  - ◆ What are the stimuli?
  - ◆ How do you present them?
  - ◆ What are the responses?
  - ◆ How do you organize the data?
- Sample output

	R1	R2
S1	37	13
S2	14	36
H	= 0.72	
F	= 0.26	
d'	= 1.22	
c	= 0.03	

**(Please write down your own results in a notebook)**